

**CASE EN010110: MEDWORTH ENERGY FROM WASTE COMBINED  
HEAT AND POWER FACILITY**

**SUBMISSION PRIOR TO DEADLINE 6 – 12<sup>TH</sup> JULY 2023**

**BY REGISTERED INTERESTED PARTY NICOLA SUTHERAN**

**UNIQUE REFERENCE No. 20032416 - RESIDENT**

I felt compelled to write to you following this week's Environmental Meetings and Open Floor Hearing.

I have not spoken at any of the Hearings regardless of making submissions due to suffering from A [REDACTED] and other complex chronic health issues regardless of only being in mid-life myself.

However I live within 0.804 miles of the proposed site, retired here from Kent due to being able to enjoy cleaner air. I suffer from a [REDACTED] [REDACTED].

I have also during the proposal of this site, also lost my husband due to spontaneous death through undiagnosed illness at the age of only 51.

Our plans here were of course, to be able to retire in more suitable surroundings, to reduce any further stress which also affects disease as a [REDACTED]

We are not the only ones in Wisbech that have done so either, there are so many of us that have invested in property or rent within the area for this exact same reason.

We were never perturbed with the fact that Wisbech is known as a "deprived" area. To be honest most incomers would actually say they prefer Wisbech to the hustle, bustle, noise and pollution that they had already lived in and has adversely affected their health.

Wisbech has a wonderful sense of community, people are so warm and friendly and they very much deserve all the very best from life and their future generations. I do not wish to see anyone to them, suffering as I am today. It is absolutely no life for anyone.

I would therefore like to ask the applicant why they have used the methods of Not Significant or Significant as a measurement of impact.

The idea of using these types of measurements are known to be open to even the very slightest of errors in judgment and can cause worldwide catastrophe. Just take a worldwide pandemic as one small example and is extremely well publicised.

Therefore, as a resident Wisbech and in the interests of the whole community, I feel that it would completely remiss of me not to point out that this use of measurement of risk etc. is completely flawed and unsatisfactory and to produce further assessment of rigid fact, that can be guaranteed by all of its residents.

The Fens are of completely flat terrain, our underlying soils are silt and we produce all the grains, meats and fresh produce, to allow the United Kingdom to become self-sufficient as a whole country in unison with other producers throughout the country. We are together

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with the rest of these producers literally the means to survive independently as a nation should we need to.

This significance also extends beyond the farming land too.

The environment and wildlife around us is completely significant to our own existence.

The residents, extremely significant around it now and in the future. Working in conservation, production and services.

Yet we are being informed by a large co-operation who's only interest at very base line is financial. That their facility of over 95 meters in height, completely towering above buildings of on average 6.1 meters in height on a flat landscape, with underlying silt soil, churning out uncaptured toxins is "Not Significant" to its environment.

It is extremely significant. Not only to the residents as a whole environmentally but also the whole country and any other country that consumes our produce and works in this country.

On behalf of all residents and for anyone whom may consume our great produce. I very much appeal to the Planning Inspectorate not to allow permission to for this facility to be built. It is of absolutely no benefit to the common man at all or their environment.

Please except my heartfelt thanks for considering my submission and for all the time you have taken in considering small voices against plans by a large profitable cooperation. It means everything to us all.

# The Difference Between “Significant” and “Not Significant” is not Itself Statistically Significant

Andrew GELMAN and Hal STERN

It is common to summarize statistical comparisons by declarations of statistical significance or nonsignificance. Here we discuss one problem with such declarations, namely that changes in statistical significance are often not themselves statistically significant. By this, we are not merely making the commonplace observation that any particular threshold is arbitrary—for example, only a small change is required to move an estimate from a 5.1% significance level to 4.9%, thus moving it into statistical significance. Rather, we are pointing out that even large changes in significance levels can correspond to small, nonsignificant changes in the underlying quantities.

The error we describe is conceptually different from other oft-cited problems—that statistical significance is not the same as practical importance, that dichotomization into significant and nonsignificant results encourages the dismissal of observed differences in favor of the usually less interesting null hypothesis of no difference, and that any particular threshold for declaring significance is arbitrary. We are troubled by all of these concerns and do not intend to minimize their importance. Rather, our goal is to bring attention to this additional error of interpretation. We illustrate with a theoretical example and two applied examples. The ubiquity of this statistical error leads us to suggest that students and practitioners be made more aware that the difference between “significant” and “not significant” is not itself statistically significant.

**KEY WORDS:** Hypothesis testing; Meta-analysis; Pairwise comparison; Replication.

## 1. INTRODUCTION

A common statistical error is to summarize comparisons by statistical significance and then draw a sharp distinction between significant and nonsignificant results. The approach of summarizing by statistical significance has a number of pitfalls, most of which are covered in standard statistics courses but one that we believe is less well known. We refer to the fact that changes in statistical significance are not themselves significant. A small

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change in a group mean, a regression coefficient, or any other statistical quantity can be neither statistically significant nor practically important, but such a change can lead to a large change in the significance level of that quantity relative to a null hypothesis.

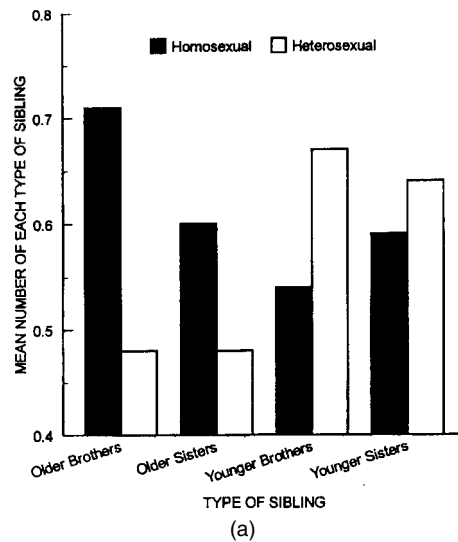
This article does not attempt to provide a comprehensive discussion of significance testing. There are several such discussions; see, for example, Krantz (1999). Indeed many of the pitfalls of relying on declarations of statistical significance appear to be well known. For example, by now practically all introductory texts point out that statistical significance does not equal practical importance. If the estimated effect of a drug is to decrease blood pressure by 0.10 with a standard error of 0.03, this would be statistically significant but probably not important in practice. Conversely, an estimated effect of 10 with a standard error of 10 would not be statistically significant, but it has the possibility of being important in practice. As well, introductory courses regularly warn students about the perils of strict adherence to a particular threshold such as the 5% significance level. Similarly, most statisticians and many practitioners are familiar with the notion that automatic use of a binary significant/nonsignificant decision rule encourages practitioners to ignore potentially important observed differences. Thus, from this point forward we focus only on the less widely known but equally important error of comparing two or more results by comparing their degree of statistical significance.

As teachers of statistics, we might think that “everybody knows” that comparing significance levels is inappropriate, but we have seen this mistake all the time in practice. Section 2 of this article illustrates the general point with a simple numerical example, and Sections 3 and 4 give two examples from published scientific research.

## 2. THEORETICAL EXAMPLE: COMPARING THE RESULTS OF TWO EXPERIMENTS

Consider two independent studies with effect estimates and standard errors of  $25 \pm 10$  and  $10 \pm 10$ . The first study is statistically significant at the 1% level, and the second is not at all statistically significant, being only one standard error away from 0. Thus, it would be tempting to conclude that there is a large difference between the two studies. In fact, however, the difference is not even close to being statistically significant: the estimated difference is 15, with a standard error of  $\sqrt{10^2 + 10^2} = 14$ .

Additional problems arise when comparing estimates with different levels of information. Suppose in our example that there is a third independent study with much larger sample size that yields an effect estimate of 2.5 with standard error of 1.0. This



(a)

Predictor	$\beta$	SE	Wald statistic	p	$e^\beta$
Initial equation					
Number of older brothers	0.29	0.11	7.26	0.007	1.33
Number of older sisters	0.08	0.10	0.63	0.43	1.08
Number of younger brothers	-0.14	0.10	2.14	0.14	0.87
Number of younger sisters	-0.02	0.10	0.05	0.82	0.98
Father's age at time of proband's birth	0.02	0.02	1.06	0.30	1.02
Mother's age at time of proband's birth	-0.03	0.02	1.83	0.18	0.97
Final equation—number of older brothers	0.28	0.10	8.77	0.003	1.33

(b)

Figure 1. From Blanchard and Bogaert (1996): (a) mean numbers of older and younger brothers and sisters for 302 homosexual men and 302 matched heterosexual men, (b) logistic regression of sexual orientation on family variables from these data. The graph and table illustrate that, in these data, homosexuality is more strongly associated with number of older brothers than with number of older sisters. However, no evidence is presented that would indicate that this difference is statistically significant. Reproduced with permission from the American Journal of Psychiatry.

third study attains the same significance level as the first study, yet the difference between the two is itself also significant. Both find a positive effect but with much different magnitudes. Does the third study replicate the first study? If we restrict attention only to judgments of significance we might say yes, but if we think about the effect being estimated we would say no, as noted by Utts (1991). In fact, the third study finds an effect size much closer to that of the second study, but now because of the sample size it attains significance.

Declarations of statistical significance are often associated with decision making. For example, if the two estimates in the first paragraph concerned efficacy of blood pressure drugs, then one might conclude that the first drug works and the second does not, making the choice between them obvious. But is this obvious conclusion reasonable? The two drugs do not appear to be significantly different from each other. One way of interpreting lack of statistical significance is that further information might change one's decision recommendations. Our key point is not that we object to looking at statistical significance but that comparing statistical significance levels is a bad idea. In making a comparison between two treatments, one should look at the statistical significance of the difference rather than the difference between their significance levels.

### 3. APPLIED EXAMPLE: HOMOSEXUALITY AND THE NUMBER OF OLDER BROTHERS AND SISTERS

The article, "Biological Versus Nonbiological Older Brothers and Men's Sexual Orientation," (Bogaert 2006), appeared recently in the *Proceedings of the National Academy of Sciences* and was picked up by several leading science news organizations (Bower 2006; Motluk 2006; Staedter 2006). As the article in *Science News* put it:

The number of biological older brothers correlated with the likelihood of a man being homosexual, regardless of the amount of time spent with those siblings during childhood, Bogaert says. No other sibling characteristic, such as number of older sisters, displayed a link to male sexual orientation.

We were curious about this—why older brothers and not older sisters? The article referred back to Blanchard and Bogaert (1996), which had the graph and table shown in Figure 1, along with the following summary:

Significant beta coefficients differ statistically from

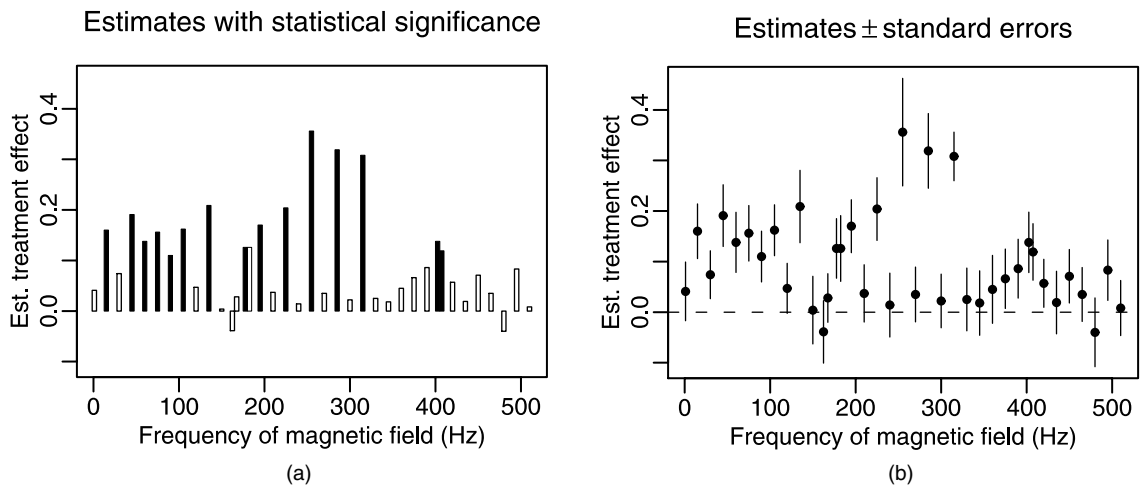


Figure 2. (a) Estimated effects of electromagnetic fields on calcium efflux from chick brains, shaded to indicate different levels of statistical significance, adapted from Blackman et al. (1988). A separate experiment was performed at each frequency. (b) Same results presented as estimates  $\pm$  standard errors. As discussed in the text, the first plot, with its emphasis on statistical significance, is misleading.

zero and, when positive, indicate a greater probability of homosexuality. Only the number of biological older brothers reared with the participant, and not any other sibling characteristic including the number of nonbiological brothers reared with the participant, was significantly related to sexual orientation.

The conclusions appear to be based on a comparison of significance (for the coefficient of the number of older brothers) with nonsignificance (for the other coefficients), even though the differences between the coefficients do not appear to be statistically significant. One cannot quite be sure—it is a regression analysis and the different coefficient estimates are not independent—but based on the picture we strongly doubt that the difference between the coefficient of the number of older brothers and the coefficient of the number of older sisters is significant.

Is it appropriate to criticize an analysis of this type? After all, the data are consistent with the hypothesis that only the number of older brothers matters. But the data are also consistent with the hypothesis that only the birth order (the total number of older siblings) matters. (Again we cannot be certain but we strongly suspect so from the graph and the table.) Given that the 95% confidence level is standard (and we are pretty sure the article would not have been published had the results not been statistically significant at that level), it is appropriate that the rule should be applied consistently to hypotheses consistent with the data. We are speaking here not as experts in biology but rather as statisticians: the published article and its media reception suggest unquestioning acceptance of a result (only the number of older brothers matters) which, if properly expressed as a comparison, would be better described as “suggestive.”

For example, the authors could have written that the sexual preference of the men in the sample is statistically significantly related to birth order and, in addition, more strongly related to number of older brothers than number of older sisters, but with the latter difference not being statistically significant. The statis-

tical analysis could be performed as a regression, as in the table in Figure 1 but with the first two predictors linearly transformed into their sum and their difference, so that there is a coefficient for number of older siblings and a coefficient for the number of brothers minus the number of sisters.

#### 4. APPLIED EXAMPLE: HEALTH EFFECTS OF LOW-FREQUENCY ELECTROMAGNETIC FIELDS

The issue of comparisons between significance and nonsignificance is of even more concern in the increasingly common setting where there are a large number of comparisons. We illustrate with an example of a laboratory study with public health applications.

In the wake of concerns about the health effects of low-frequency electric and magnetic fields, Blackman et al. (1988) performed a series of experiments to measure the effect of electromagnetic fields at various frequencies on the functioning of chick brains. At each of several frequencies of electromagnetic fields (1 Hz, 15 Hz, 30 Hz, . . . , 510 Hz), a randomized experiment was performed to estimate the effect of exposure, compared to a control condition of no electromagnetic field. The estimated treatment effect (the average difference between treatment and control measurements) and the standard error at each frequency were reported.

Blackman et al. (1988) summarized the estimates at the different frequencies by their statistical significance, using a graph similar to Figure 2(a) with different shading indicating results that are more than 2.3 standard errors from zero (i.e., statistically significant at the 99% level), between 2.0 and 2.3 standard errors from zero (statistically significant at the 95% level), and so forth. The researchers used this sort of display to hypothesize that one process was occurring at 255, 285, and 315 Hz (where effects were highly significant), another at 135 and 225 Hz (where effects were only moderately significant), and so forth. The esti-

mates are all of relative calcium efflux, so that an effect of 0.1, for example, corresponds to a 10% increase compared to the control condition.

The researchers in the chick-brain experiment made the common mistake of using statistical significance as a criterion for separating the estimates of different effects, an approach that does not make sense. At the very least, it is more informative to show the estimated treatment effect and standard error at each frequency, as in Figure 2(b). This display makes the key features of the data clear. Though the size of the effect varies, it is just about always positive and typically not far from 0.1.

Some of the most dramatic features of the original data as plotted in Figure 2(a)—for example, the negative estimate at 480 Hz and the pair of statistically-significant estimates at 405 Hz—do not stand out so much in Figure 2(b), indicating that these features could be explained by sampling variability and do not necessarily represent real features of the underlying parameters. Further work in this area should entail more explicit modeling; here we simply emphasize the inappropriateness of the approach of using significance levels to compare effect estimates.

## 5. DISCUSSION

It is standard in applied statistics to evaluate inferences based on their statistical significance at the 5% level. There has been a move in recent years toward reporting confidence intervals rather than  $p$  values, and the centrality of hypothesis testing has been

challenged, but even when using confidence intervals it is natural to check whether they include zero. Thus, the problem noted here is not solved simply by using confidence intervals. Statistical significance, in some form, is a way to assess the reliability of statistical findings. However, as we have seen, comparisons of the sort, “ $X$  is statistically significant but  $Y$  is not,” can be misleading.

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